Simulation of electrical properties of quartz crystal microbalance using multi-resonance thickness-shear mode technique

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ABSTRACT

The use of quartz crystal microbalance (QCM) in chemistry, biophysics, microbiology and electronics has grown tremendously in recent years. In this paper, the properties of a QCM sensor (a system include QCM device and viscoelastic medium) operating in the range of 5 MHz to 35 MHz of Multi-resonance Thickness-Shear Mode (MTSM, n = 1, 3, 5, 7) are described. We calculate the changes both in resonant frequencies and attenuation of the QCM. The penetration depth of the shear waves propagating from quartz into loaded thin film varies in different values due to the harmonics,

 ${\it Key words: Quartz \ crystal \ microbalance, \ Multi-resonance \ Thickness-Shear \ Mode}$

INTRODUCTION

The Quartz Crystal Microbalance (QCM) is a very sensitive device that measures the mass by detecting the change in vibrating frequency of the quartz crystal. The change in the frequency and attenuation of the crystal is proportional to the added mass and the viscosity of the medium. To design QCM usable in damping media like a sensor, simulation tools to predict its behavior is very useful.

There are a large number of published papers describing the interaction of proteins and

from which we infer the properties of the loaded thin film. The multi-harmonic operation of QCM was presented to collect the information of the loaded thin film on QCM's electrode. This enables a "virtual slicing technique" because a harmonic relates to a different penetration depth even with the same material. The theoretical analysis of MTSM has been developed to model and simulate the signature of the sensor responses at harmonic frequencies. The signatures of the evaporation- induced deposition processes were investigated by studying the effect of the thickness and stiffness of the medium.

peptides with polymeric and planar thin films (Briseno et al., 2001; Yamashitaet al., 2001; Fant et al., 2002; Hibbert et al., 2002; Linder et al., 2002; Park et al., 2002; Takada et al., 2002; Andersson et al., 2002a; Forzani et al., 2003; Hamada et al.,2003; Plunkett et al., 2003; Haynie et al., 2004; Heuberger et al., 2004; Lin et al., 2004; Lojou and Bianco, 2004; Notley et al., 2004; Welle, 2004; Evans-Nguyen and Schoenfisch, 2005) using QCM as a biosensor.

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OCM combined with thin interfacial chemistries has been used to measure the transfer efficiency of a HSA-octadecylamine Langmuir-Blodgett (LB) film from the subphase interface to the gold electrode surface (Yin et al., 2005), confirming protein resistance the of poly(ethyleneglycol) (PEG) SAMs (Menz et al., 2005) and supported bilayers of eggphosphatidylcholine (PC) lipids (Glasmastar et al., 2002). OCM was also used to characterize the adsorption kinetics of unfolded and folded low molecular weight proteins to hydrophobic SAM surfaces (Otzen et al., 2003). He et al. (2002) monitored the assembly process of poly(diallyldimethylammonium) and haemoglobin films on graphite electrodes and other substrates. Dupont-Filliard et al. (2004a) investigated the adsorption of avidin onto a biotinylated polypyrrole film. Zhou et al. (2004) used a number of techniques to investigate human IgG adsorption onto a hydrophobized gold surface and found the QCM-D technique to correctly detect the conformational change in the IgG leading to a difference in the effective protein thickness. Li et al. (2003a) employed a polystyrenesulfonate layer on an electropolymerized film to quantitatively determine IgG concentration in the range 1.7-200 mg/mL.

In Vietnam, studying QCM has not been invested broadly. International training institute for materials science (ITIMS, Hanoi University of Science and Technology) had fabricated QCM sucessfully but applicating QCM as a biosensor has not been established.

This paper introduces the model which provides the evaporation-induced deposition processes of the film loaded on quartz by varying the thickness and stiffness of the medium. The main objective of the work is to simulate of MTSM sensor loaded with viscoelastic (VE) mediums but the geometrical (thickness) and the mechanical (density) properties of this medium will change following the evaporation- induced deposition processes.

Using the boundary condition, Maxwell's model and the equivalent circuit, we can find the attenuation, frequency shift which contain the information of the electrical properties by calculating by Matlab software. Electrical characteristics of the QCM sensor are depicted.

THEORY

A QCM consists of a thin AT cut - quartz crystal disk with two electrodes of the quartz (Fig.1) [3]. Due to the piezoelectric properties and crystalline orientation of the quartz, a voltage applied to these electrodes results in a shear deformation of the crystal.

The resonant frequency f_0 of the quartz is given by:

$$f_0 = N \frac{v_q}{2d}$$

Where:

N=1, 3, 5, 7...

d: is the thickness of the QCM

 υ_q : is the velocity of the acoustic wave propagation in quartz.

Sauerbrey [1] showed that the frequency change caused by an addition mass on that resonator is presented by:

$$\frac{\Delta f_0}{\Delta m} = -\frac{2f_0^2}{A\sqrt{\rho_q \mu_q}}$$

Which means that the variation in resonant frequency (Δf_0) in terms of the mass variation (Δm) is proportional to the square of the resonant frequency (f_0) and inversely proportional to the electrode area (A), the density (ρ_q) and the viscosity (μ_q) of liquid. In other words, higher resonant frequency and smaller electrode area will result in a higher sensitivity.



Fig. 1. QCM device structure

Sauerbrey's relation is extended for use with elastic films by Miller and Bolef [4] and simplified by Lu and Lewis [5]. Until recently, excessive viscous loading was believed to prohibit the use of the QCM in liquids. In fact, this is still possible and the response of the QCM is sensitive to mass changes at the solid-solution interface.

When the QCM operates in a solution, the frequency is decreased depending on the viscosity and the density of the solution. This problem was first studied by Glassford [6], and later by Kanazawa and Gordon [2]. Kanazawa realized that the solution properties influenced the crystal resonance frequency and the resonance frequency shift is calculated by:

$$\Delta f_0 = -f_0^{3/2} \sqrt{\frac{\eta_l \rho_l}{\pi \eta_q \mu_q}} \tag{3}$$

Where η_l and ρ_l are the viscosity and density of liquid contact with the electrode and η_{q} , ρ_q are the viscosity and density of quartz.

The measured frequency shift is changed by the density and the viscosity of the liquid. When the QCM works in a liquid, the maximum displacement happens on the surface. This makes the device sensitive to a superficially added mass which causes a change in the resonant frequency. To use QCM as a biosensor, the crystal is coated with a thin layer antigen and is used to detect antibodies.

Fig. 2 depicts the geometry of the QCM loaded by a viscoelastic thin film.



Fig. 2. Physical description of a QCM loaded on one side by a viscoelastic thin film

QCM devices can be operated not only at fundamental harmonic but also at higher harmonic. As higher harmonics are applied, the frequency shift and attenuation represent the mechanical properties of the loaded thin fim of the different distance from the surface of quartz due to the different penetration depth of the acoustic wave through the medium. Fig. 3 shows the principles of this concept [7]. For example, if the medium has different mechanical properties through the thickness, then it can be observed by analyzing the different responses of the MTSM sensor at each harmonics.



Fig. 3. A model of the MTSM sensor [7]

METHOD

QCM or MTSM sensor was used as a biosensor and the application process is the evaporation-induced deposition process whereby atoms or molecules in a liquid state gain sufficient energy to enter the gaseous state and leaving a thin-film. Especially, during the evaporation-induced deposition process of biological samples, there are two major processes involved: evaporation of a solution and deposition of proteins on the surface of the sensor substrate.

Since the response of the MTSM depends on the interfacial processes, such as mass accumulation (density) or changes in mechanical and geometrical properties (elastic stiffness, viscosity, and thickness). In this paper, only the thickness (represent to geometrical properties) and density (represent to mechanical properties) were studied and analyzed using theoretical and simulation method. The output signals are the frequency shifts, the attenuation and the penetration depth at harmonics.

Fig. 4 shows the evaporation-induced deposition process of viscoelastic medium on the sensor surface.



Fig. 4. A typical evaporation-induced deposition process of viscoelastic medium

Air

The proposed geometry of the composite QCM/viscoelastic mediums by [2] is used in this study (Fig. 5). The mathematics using in this geometry is simple.

The origin is at the interface between the quartz and the film. The film is characterized by its density ρ_f , its shear modulus μ_f and its viscosity η_f . The quartz parameters include its density ρ_q , its shear modulus c_{66} , its appropriate piezoelectric constant e_{26} , its relative permittivity ϵ_{22} and its viscosity η_q . For purpose in fabrication, we have chosen the series of resonance of unloaded quartz at exactly 5 MHz.

The shear waves in both the quartz and the over layer are the sum of a wave travelling in the +y direction and another in the -y direction and have the form $e^{i\omega t}$. For the quartz, the amplitude of the wave travelling in the +y direction is A and in the -y direction is B. Similarly, the wave amplitudes in the over layer are C and D. The wave vector for the shear wave in the quartz is k_q and the over layer is k_f . The shear wave spreading in the quartz have the following forms: $U(y,t) = (Ae^{-jk_f(y-L)} + Be^{jk_f(y-L)})e^{j\omega t}$ (4) and the over layer:

$$U(y,t) = (Ce^{jk_q y} + De^{-jk_q y})e^{j\omega t}$$
(5)

	• Constitutive Equation: $T(f) = \mu_f S + \eta_f \frac{ds}{dt}$ (Maxwell Model)	y=la+
Load	• Equation of Motion: $\mu_{eff} \nabla^2 u = \rho_f \ddot{u}$	
	• Displacement: $U(f) = (Ae^{-jk_f(y-L)} + Be^{jk_f(y-L)})e^{j\omega t}$	
		v=la
	• Constitutive Equation: $T = c_q S - e_q E$	
	$D = eS + \varepsilon E$	
	(Maxwell Model)	
Quartz	• Equation of Motion: $\mu_q \nabla^2 u = \rho_q \ddot{u}$	
	• Displacement: $U(q) = (Ce^{jk_qy} + De^{-jk_qy})e^{j\omega t}$	
	• Electrical Potential: $\phi(q) = (\frac{e_{26}}{2}u(q) + Ey + F)e^{j\omega t}$	
Air	°22	_ y=0

Fig. 5. Geometry used for the QCM analysis





Fig. 6. Equivalent circuit models to describe the near resonant electrical characteristics of the MTSM resonator with VE film coatings [7]: (A) Fundamental - resonance harmonic, (B) Multi-resonance harmonics

Using the boundary condition, Maxwell's model and the equivalent circuit, we calculated the attenuation (α) and the resonant frequency shift (Δ f) of MTSM sensor as follows [7]:

$$\alpha = S_{21} = 20 \log_{10} \left(\left| \frac{100}{100 + Z_t} \right| \right)$$
(6)
Where:

$$Z_t = \frac{Z_s Z_0}{Z_s + Z_0}, Z_s = R_N + j\omega L_N + \frac{1}{j\omega C_N} + Z_e \quad (7)$$

$$Z_0 = \frac{1}{j\omega C_0}, C_0 = \frac{\varepsilon_{22}A}{h_S}, C_N = \frac{8K^2C_0}{N\pi^2}, L_N = \frac{1}{\omega^2 C_N},$$
$$R_N = \frac{\eta_q}{\mu_q C_N}$$
(8)

Where A and h_s are the area of the electrode and the thickness; ε^{22} , μq , and ηq are the dielectric permittivity, shear stiffness and effective viscosity of the MTSM sensor, respectively. *Zt* indicates the total electrical impedance of the MTSM. *S*²¹ means the forward transmission parameter.

The relative change in the resonant frequency (Δf) is the real part of this equation (9),

$$\Delta f = f_{0N} \cdot \Re \left[\frac{1}{N\pi} \tan^{-1} \left(\frac{-k_f(\mu_f + j\omega\eta_f) \tan \mathbb{R} k_f h)}{\mu_q k_q} \right) \right]$$
(9)
RESULTS AND DISCUSSION

We have developed a program using Matlab software to trace out the effect of change in the thickness and density on the MTSM response and effect of changes in density on the MTSM response. The mechanical properties of AT-cut quartz were shown on Table 1.

			1 1	1	
Thickness (m)	Density (g/cc)	$\begin{array}{c c} \text{Shear storage} \\ \text{modulus} \\ (Pa) \end{array} \begin{array}{c} \text{Viscosity} \\ \text{(kg· m^{-1} \cdot sec^{-1})} \end{array}$	Dielectricity	Piezoelectric	
			$(\text{kg} \cdot \text{m}^{-1} \cdot \text{sec}^{-1})$	$(S4/kg.m^3)$	(S/m^2)
334x10 ⁻⁶	2.648	2.947×10^{10}	9.2475x10 ⁻³	3.982x10 ⁻¹¹	9.53x10 ⁻²

Table 1. Mechanical properties of AT-cut quartz

Effect of film's thickness

In this section, evaporation-induced deposition process of the films has been simulated by only varying the thickness. The input mechanical properties of the thin film loaded were shown in Table 2.

In this case, the film is a Newtonian liquid because of the low concentration of the solutes in the solution. The stiffness was equal to zero and the density was 1000 kg/m³. Due to the evaporation process of the solvent through the liquid surface the thickness of the sample changes. Therefore, only the thickness of the sample was varied from 10 μ m down to 100 nm

for the simulations. Fig. 7, 8, 9 show the simulation of the MTSM sensor of harmonic responses for liquids of different viscosity. Gray arrows in each graph show the direction of changes in the thickness decreasing during the evaporation process.

Fig. 7 show the response of the MTSM sensor when the viscosity of the VE load is the same as water at 0.001kg/ms. As the evaporation of the solvent is continuous, the concentration of the solute starts to increase and the increment of solute affects the viscosity of the solution to rise. Fig. 8, 9 show the response of MTSM sensor with the higher viscosity, 0.01 and 0.1 kg/ms.

	Density (kg/m ³)	Viscosity (kg/m.s)	Stiffness (Pa)	Thickness (m)
Fig. 7	1000	0.1	0	$10^{-7} - 10^{-5}$
Fig. 8	1000	0.01	0	$10^{-7} - 10^{-5}$
Fig. 9	1000	0.001	0	10-7-10-5





Fig. 7. Effect of the changes in thickness to MTSM response with the viscosity is 0.001 kg/ms: (A) relation between frequency shift and thickness with range of $0-1.2x10^{-5}$ m; (B) relation between attenuation and thickness with range of $0-1.2x10^{-5}$ m; (C) relation between frequency shift and thickness with range of $0-1.2x10^{-6}$; (D) relation between attenuation and thickness with range of $0-1.2x10^{-6}$ m



Attenuation (B) with the viscosity is 0.01





Fig. 9. Effect of the changes in thickness to MTSM response with the viscosity is 0.01: (A) relation between frequency shift and thickness with range of $0-1.2 \times 10^{-5}$ m; (B) relation between attenuation and thickness with range of $0-1.2 \times 10^{-5}$ m; (C) relation between frequency shift and thickness with range of $0-1.2 \times 10^{-6}$; (D) relation between attenuation and thickness with range of $0-1.2 \times 10^{-6}$ m

The simulation results on Fig. 7, 8, 9 show the same trend. Firstly, it starts with stabilized response when the thickness is much larger than the penetration depth. Secondly, as the thickness of the VE film reaches close to couple of the penetration depth, the response of MTSM sensor starts to oscillate in both relative changes in resonant frequency (Δf) and attenuation (α). Finally, when the thickness of the VE film becomes smaller than the penetration depth, it shows the both *Sauerbrey mass effect* and *Kanazawa viscous effect*: decrease in both relative Δf and α , as the thickness becomes smaller.

Table 3 shows the penetration depth (δ) of acoustic shear waves in each simulation.

Table 3. Penetration depths of the acoustic shearwaves of 05 MHz frequency in Newtonian liquidwith various viscosities

	δ(nm) η	δ (nm)	δ(μm) η
	=0.001 kg/ms	η=0.01	=0.1 kg/ms
	(water)	kg/ms	(glycerol)
1 H	252.31	797.88	2.5231
3 H	145.67	460.66	1.4567
5 H	112.84	356.82	1.1284
7 H	95.365	301.57	0.95365

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Effect of film's density

In this section, the evaporation-induced deposition process of biological films has been simulated by varying the density of the film. The mechanical properties of Newtonian Liquid was shown in Table 4.

In this case, the density changed from 500 to 2000 kg/m^3 for the simulation to be in the realistic range.

Fig. 10, 11, 12 show the effect of density in the response of the MTSM sensor. The results showed either a typical *Sauerbrey effect* (effect of mass due to change the density) or the *Kanazawa effect* (effect of viscous due to change the density).

In Fig. 10 and 11 the MTSM sensor treats the VE film as a load with an infinite thickness film and the *Kanazawa viscous effect* is showed in the graphs. As the density of the VE film increase, the relative changes in Δf and α are also increased. As an acoustic signature, the attenuation of the higher harmonic responses, such as 5th and 7th harmonics, seems not sensitive to the changes in the density of the medium, and the attenuation of the lower harmonics, such as 1st and 3rd harmonics, shows the density effect (as density increases attenuation also increases due to the *Kanazawa viscous effect*).

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	Density (kg/m ³)	Viscosity (kg/m.s)	Stiffness (Pa)	Thickness (m)
Fig. 10	500-2000	0.1	108	10-6
Fig. 11	500-2000	0.01	105	10-5
Fig. 12	500-2000	0.001	0	10 ⁻⁴

Table 4. Mechanical properties of film



Fig. 10. (A, B) Effect of the changes in the film density to MTSM response with the viscosity is 0.001; (C) Penetration depth of MTSM as a function of with the viscosity is 0.001



Fig. 11. (A, B) Effect of the changes in the film density to MTSM response with the viscosity is 0.01; (C) Penetration depth of MTSM as a function of with the viscosity is 0.01

In Fig. 12, the thickness of the VE film is always much smaller than the penetration depth of the film, except the 7th harmonic. At 1st, 3rd, and 5th harmonics, the graphs show the typical *Sauerbrey Mass effect*. At the 7th harmonic, as the density increases, the penetration depth of the MTSM sensor becomes close to the thickness of the film and this causes the oscillatory behavior of the MTSM sensor. Frequency shift results are compared with those of Carine Galli Marxer [4] in the case of the density change and thickness change of film. Results of Carine Galli Marxer is about -1870 to -1260 Hz, results of this research are about -2000 Hz to -1000 Hz depending on the value of thickness or density, so this results can be accepted

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Fig. 12. (A, B) Effect of the changes in the film density to MTSM response with the viscosity is 0.1; (C) Penetration depth of MTSM as a function of with the viscosity is 0.1

CONCLUSION

The relationships between the shear wave and the observed behavior of electrical properties of loaded QCM have been illustrated. The strong damping of the shear wave in liquids allows the use of the QCM in liquid media by limiting the losses.

The comparation of the value of the penetration depth and the thickness of the film, the simulation results show that the behaviors of MTSM sensor are the same with Sauerbrey and Kanazawa effect.

The relationships between the frequency shift, the attenuation of MTSM sensor and the thickness, density of film at harmonics have been illustrated. A knowledge of the properties of the loaded film is very useful in explaining the result of electrical properties measurements. This result will help choosing suitable polymers in fabrication and application QCM as biosensor.

Mô phỏng tính chất điện của linh kiện vi cân tinh thể thạch anh bằng kỹ thuật cộng hưởng đa hài dạng sóng trượt bề dày

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TÓM TẮT

Linh kiện vi cân tinh thể thạch anh (QCM) ứng dụng trong hóa học, lý sinh, vi sinh học và linh kiện điện tử đã được phát triển mạnh mẽ trong những năm gần đây. Trong bài báo này, mô tả các tính chất của cảm biến QCM (một hệ thống bao gồm linh kiện QCM và lớp màng mỏng đàn nhớt) hoạt động trong dãi tần số 5 MHz đến 35 MHz của cộng hưởng đa hài dạng sóng trượt bề dày (MTSM, n = 1, 3, 5, 7). Chúng tôi tính toán những thay đổi cả về tần số cộng hưởng và sự suy hao của linh kiện QCM. Bề dày lan truyền của sóng ngang từ thạch anh vào lớp màng mỏng có giá trị khác nhau với những hài khác nhau, từ đó suy ra các tính chất của màng mỏng hấp phụ trên bề mặt. Các hoạt động đa hài của linh kiện QCM được phân tích để thu thập các tính chất của màng mỏng hấp phụ trên điện cực của QCM. Điều này cho phép một "kỹ thuật lát mỏng ảo" bởi vì trên cùng một loại vật liệu thì độ sâu lan truyền của mỗi hài cũng khác nhau. Các phân tích lý thuyết của MTSM đã được phát triển để mô hình hóa và mô phỏng các dấu hiệu phản hồi của cảm biến tại tần số của các bậc hài. Dấu hiệu của quá trình lắng đọng trên bề mặt linh kiện QCM được xác định bằng cách nghiên cứu ảnh hưởng của độ dày và độ cứng của môi trường.

Key words: linh kiện vi cân tinh thể thạch anh, cộng hưởng đa hài của mode (dạng) sóng trượt bề dày

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